# Optimal Sizing of a Trigeneration Plant Integrated with Total Site System Considering Multi-period and Energy Losses 

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#### Abstract

Rising awareness for the environment as well as concerns over the sustainability of fossil fuels has encouraged developed and developing countries to find alternative ways to enhance the thermal efficiency of current power systems. The thermal efficiency of power plants can be increased from $30-40 \%$ up to 80 $-90 \%$ through the implementation of a trigeneration system by recovering dissipated waste heat for other purposes. The trigeneration system can be defined as a technology that can produce simultaneous power, heating, and cooling energy from the same fuel source. Trigeneration System Cascade Analysis (TriGenSCA) methodology is an optimisation approach based on Pinch Analysis that has been used to establish the guidelines or the proper size of the trigeneration system. This paper proposes a modification of TriGenSCA by considering a multi-period of energy consumption to optimise the size of the utility in the centralised trigeneration system by considering the transmission and storage of energy losses in the Total Site system. There are six steps involved including data extraction, identification of time slices, Problem Table Algorithm (PTA), Multiple Utility Problem Table Algorithm (MU PTA), Total Site Problem Table Algorithm (TS PTA), and modified TriGenSCA. The methodology has been tested on the centralised nuclear trigeneration system in a Total Site System as a case study and results shown that thermal energy needed by the Pressurized Water Reactor (PWR) trigeneration system with transmission losses is $2,427 \mathrm{MW}$ whereas thermal energy needed by the PWR trigeneration system without transmission losses is 2,424 MW. The TriGenSCA with consideration of transmission and storage energy losses is useful for engineers and designers to determine the exact value of energy for trigeneration plant.


## 1 Introduction

Rapid technological advancement and rising population growth have led to an increase in energy consumption worldwide. As conventional fossil fuels continue to dominate the energy supply, the threat of fossil fuel depletion and global warming also rises. The World Energy Council [1] has an estimated escalation of total primary energy by $21 \%$ from 2020 to 2040 . Improving thermal efficiency in existing systems is one way to conserve energy; i.e. by using waste heat for other applications such as seawater desalination, district heating and cooling. In this context, trigeneration appears as a suitable technology because it can supply power, heating and cooling energy from the same source of fuel. As stated by Wu and Wang [2], the thermal efficiency of the current system can be improved from $30-40 \%$ to $80-90 \%$ through the use of the trigeneration system.

Optimisation on trigeneration system has been progressively developed, mainly in simulations. A new
methodology has been proposed by Cardona and Piacentino [3] to select and manage a trigeneration system based on heat and cool energy demands obtained from several European hotels. Plura et al. [4] made comparisons between different chillers as it is integrated with a trigeneration system. Rong et al. [5] optimised a trigeneration system with storages by using the Lagrangian relaxation-based algorithm. The carbon emissions from the Organic Rankine Cycle trigeneration system is analysed by Al-Sulaiman et al. [6]. Bracco et al. [7] have developed an optimal design of the distributed trigeneration method based on mixed-integer linear programming. Gue et al. [8] developed a trigeneration method via fuzzy linear programming to perform a price sensitivity analysis. The optimal sizing of trigeneration system in the Total Site system has been developed by Jamaluddin et al. [9] through Pinch Analysis (PA) methodology, and recently, Jamaluddin et al. [10] have developed a new numerical-based PA method for batch industrial processes as energy variations at demands site.

[^0]However, the previous study that was developed by Jamaluddin et al. [10] did not consider energy losses due to the transmission system. This paper proposes a modified Trigeneration System Cascade Analysis (TriGenSCA) by considering energy losses due to transmission and storage systems as well as multi-period energy demands to optimise the sizing centralised trigeneration system utilities. Implementation of this comprehensive approach by considering transmission and storage energy losses may give users the advantage of determining the exact energy requirements which are closer to the actual trigeneration system, as well as minimising the power, heat and cool energy requirements of the utility and the Total Site system in demand fluctuations.

## 2 Methodology and Case Study

This paper extends the insight-based numerical method developed by Jamaluddin et al. [10] to evaluate the optimal size of the centralised trigeneration system for the integration of Total Site Cooling, Heating and Power (TSCHP) in a variety of energy consumption. The overall methodology can be categorised into six steps which are data extraction, construction of time slices, Problem Table Algorithm (PTA), Multiple Utility Problem Table Algorithm (MU PTA), Total Site Problem Table Algorithm (TS PTA), and modified TriGenSCA. The trigeneration system is incorporated into a Pressurized Water Reactor (PWR) nuclear power plant to generate power, heat and cool energy simultaneously for demand requirements. The PWR is chosen because it is zero carbon emission and able to produce continuous energy in a day.

Uranium-235 is used as a fuel in the PWR to produce enormous energy for the generation of Very High-Pressure Steam (VHPS). The PWR trigeneration system produces VHPS from fission processes in the centre of the primary loop, which is then transferred to the secondary loop via a steam generator heat exchanger. The average VHPS temperature is about $300^{\circ} \mathrm{C}$ [11]. The temperature of the VHPS is sufficient to supply power to the double extraction turbine and low-pressure steam such as the High-Pressure Steam (HPS) and Low-Pressure Steam (LPS) generations by the use of the Moisture Separator Reheater (MSR). The MSR is used to superheat the steam and remove moisture in the steam. Excess HPS and LPS will supply more power on demand by condensing it in the condensing turbine. The VHPS can also be converted into HPS and LPS through the relief valve. The condenser is installed to produce hot water (HW) to be supplied directly to the demand needs or recycled back to the steam generator for steam generation. Cooling Water (CW) is generated from the cooling tower via the HW evaporation process. On the other hand, chilled water ( ChW ) is produced by the absorption refrigerator. Further process of developing CW and ChW can be referred to Jamaluddin et al. [10]. Excess energy can be retained in storage facilities and discharged during energy deficits. The lead-acid battery is used as power storage, whereas the thermochemical
energy storage system is used for storing heating and cooling energy. In this case study, the assumptions made are:

1. The overall thermal efficiency is $10 \%$ [2].
2. Energy loss from power and thermal storage systems is considered. The capacity of the leadacid battery used for charging power [12] and the inverter [13] is estimated to be $90 \%$. The discharge capacity of the lead-acid battery is $85 \%$ [12]. For the thermal storage device, thermochemical storage is used for charging and discharging up to 58\% [13].
3. Energy conversion is considered in the study where the efficiency of the double extraction turbine, condensing turbine [14], condensation system [15], cooling tower and absorption chiller [16] is assumed to be $30 \%$.

### 2.1 Data Extraction

In the first step, the supply of energy sources for the centralised trigeneration system and the demand from industrial plants are extracted according to the time of operations. The data extraction is divided into two parts which are the power part and the heating/cooling part. To illustrate the suggested approach, two industrial plants power demand data are taken from works of literature which are shown in Figure 1 [17]. For the power generation in PWR as a trigeneration system, the preliminary assumption for initial power in PWR is at a maximum turn-down ratio of 600 MWe . The maximum turn-down ratio is known as the full-scale capability of the PWR trigeneration system. The double extraction turbine efficiency is assumed to be $30 \%$ [14], and hence, the total thermal energy needed for the maximum turn-down ratio in trigeneration PWR is 2,000 MWth. The separation of total thermal energy is assumed to be (1) 600 MWe for power; (2) 50 MW for HPS; (3) 150 MW for LPS; (4) 250 MW of HW; (5) 200 MW for CW and (6) 50 MW for ChW.


Fig. 1. Power variations for Plants A and B in continuous 24 h operations [17]

For the heating/cooling part, several data are needed which includes supply temperatures, target temperatures,
minimum flow rate heat capacity, the time interval for each stream and the minimum temperature difference between processes $\left(\Delta T_{\text {min }, p p}\right)$. Tables 1 and 2 show the stream data in the two industrial plants, namely Plants A and B. The stream data are obtained from Jamaluddin et al. [10]. Shifted cold temperature for process streams is determined. The temperature of the cold streams is added by half of the value of minimum temperature between processes $\left(\Delta T_{\min , p p} / 2\right)$, whereas the temperature of the hot streams is subtracted by half of the value of $\Delta T_{\min , p p} / 2$. In this case study, the values $\Delta T_{\min , p p}$ of Plants A and B are assumed to be $20^{\circ} \mathrm{C}$ and $10^{\circ} \mathrm{C}$. Multiple utility temperature levels are shown in Table 3. The transmission data are also needed to determine energy losses due to transmission. Table 4 shows the data required for transmission.

Table 1. Stream data for Industrial Plant A with $\Delta T_{\min , p p}=$

| Strea m | $\begin{gathered} \mathrm{T}_{\mathrm{s}} \\ \left({ }^{\circ} \mathrm{C}\right) \end{gathered}$ | $\begin{gathered} \mathrm{T}_{\mathrm{t}} \\ \left({ }^{\circ} \mathrm{C}\right) \end{gathered}$ | $\begin{gathered} \Delta H \\ (\mathrm{MW}) \end{gathered}$ | $\begin{gathered} \mathrm{mCP} \\ (\mathrm{MW} \\ \left./{ }^{\circ} \mathrm{C}\right) \end{gathered}$ | $\begin{gathered} \mathrm{T}_{\mathrm{s}}^{\prime} \\ \left({ }^{\circ} \mathrm{C}\right) \end{gathered}$ | $\begin{gathered} \mathrm{T}_{\mathrm{t}}{ }^{\prime} \\ \left({ }^{\circ} \mathrm{C}\right) \end{gathered}$ | Time <br> (h) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| C1 <br> Hot | 85 | 5 | 600 | 10 | 75 | 15 | $\begin{gathered} 06- \\ 17 \end{gathered}$ |
| $\begin{aligned} & \mathrm{C} 2 \\ & \mathrm{Hot} \end{aligned}$ | 80 | 40 | 400 | 10 | 70 | 30 | $\begin{gathered} 06- \\ 17 \end{gathered}$ |
| C3 <br> Hot | 41 | 38 | 105.3 | 35.1 | 31 | 28 | $\begin{gathered} 20- \\ 06 \end{gathered}$ |
| $\begin{gathered} \mathrm{C} 4 \\ \text { Cold } \end{gathered}$ | 25 | 65 | 23.6 | 0.59 | 35 | 75 | $\begin{gathered} 20- \\ 06 \end{gathered}$ |
| $\begin{gathered} \text { C5 } \\ \text { Cold } \end{gathered}$ | 55 | 65 | 25.8 | 2.58 | 65 | 75 | $\begin{gathered} 00- \\ 24 \end{gathered}$ |
| $\begin{gathered} \text { C6 } \\ \text { Cold } \end{gathered}$ | 33 | 60 | 6.48 | 0.24 | 43 | 70 | $\begin{gathered} 06- \\ 17 \end{gathered}$ |
| $\begin{gathered} \mathrm{C} 7 \\ \text { Cold } \end{gathered}$ | 25 | 60 | 77 | 2.2 | 35 | 70 | $\begin{gathered} 20- \\ 06 \end{gathered}$ |
| $\begin{gathered} \text { C8 } \\ \text { Cold } \end{gathered}$ | 30 | 240 | 29.4 | 0.14 | 40 | 250 | $\begin{gathered} 06- \\ 17 \end{gathered}$ |
| $\begin{gathered} \text { C9 } \\ \text { Cold } \end{gathered}$ | 25 | 28 | 150 | 50 | 35 | 38 | $\begin{gathered} 06- \\ 17 \end{gathered}$ |
| $\begin{aligned} & \text { C10 } \\ & \text { Cold } \end{aligned}$ | 30 | 100 | 59.5 | 0.85 | 40 | 110 | $\begin{gathered} 00- \\ 24 \end{gathered}$ |
| $\mathrm{C} 11$ <br> Cold | 5 | 50 | 315 | 7 | 15 | 60 | $\begin{gathered} 06- \\ 17 \end{gathered}$ |
| $\begin{aligned} & \text { C12 } \\ & \text { Cold } \end{aligned}$ | 21 | 200 | 8.95 | 0.05 | 31 | 210 | $\begin{gathered} 00- \\ 24 \end{gathered}$ |

### 2.2 Identification of Time Slices

The time slices are described as temporal variations in demand streams. The energy requirements at the manufacturing site are time-dependent when batch processes are incorporated. However, energy variations are more significant if other buildings are included in the Total Site System. The time frame can be represented as a time interval with relatively constant energy variation. Based on the case study, the time slices of hot and cold streams are defined in three parts of $20-06 \mathrm{~h}$ (TSL 1), 06 - 17 h (TSL 2) and 17 - 20 h (TSL 3).

Table 2. Stream data for Industrial Plant B with $\Delta T_{\text {min, } p p}=$ $10^{\circ} \mathrm{C}$ (obtained from Jamaluddin et al. [10])

| Strea <br> m | $\mathrm{T}_{\mathrm{s}}$ <br> $\left({ }^{\circ} \mathrm{C}\right)$ | $\mathrm{T}_{\mathrm{t}}$ <br> $\left({ }^{\circ} \mathrm{C}\right)$ | $\Delta H$ <br> $(\mathrm{MW})$ | mCP <br> $(\mathrm{MW}$ <br> $\left./{ }^{\circ} \mathrm{C}\right)$ | $\mathrm{T}_{\mathrm{s}}{ }^{\prime}$ <br> $\left({ }^{\circ} \mathrm{C}\right)$ | $\mathrm{T}_{\mathrm{t}}{ }^{\prime}$ <br> $\left({ }^{\circ} \mathrm{C}\right)$ | Time <br> $(\mathrm{h})$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| C 1 <br> Hot | 85 | 5 | 600 | 10 | 75 | 15 | $06-$ <br> 17 |
| C 2 <br> Hot | 80 | 40 | 400 | 10 | 70 | 30 | $06-$ <br> 17 |

Table 3. Multiple site utility temperatures

| Utility | Temperature $\left({ }^{\circ} \mathrm{C}\right)$ |
| :---: | :---: |
| High-pressure steam <br> (HPS) | 240 |
| Low-pressure steam <br> (LPS) | 150 |
| Hot water (HW) | 50 |
| Cooling water (CW) | 20 |
| Chilled water (ChW) | 10 |

Table 4. Data required for transmission energy losses

|  | Parameters | Data |
| :---: | :---: | :---: |
| Estimated length of transmission for power and thermal energy |  | 10 km |
| Type of insulator for thermal pipeline |  | Calcium silicate |
| Diameter for carbon steel for heating pipeline [18] |  | 0.1 m |
| Diameter for stainless steel for cooling pipeline [18] |  | 0.1 m |
| Heat dissipating capacity of heating pipeline per unit area [19] |  | $350 \mathrm{~W} / \mathrm{m}^{2}$ |
| Heat dissipating capacity of cooling pipeline per unit area [19] |  | $420 \mathrm{~W} / \mathrm{m}^{2}$ |
| Aluminium Cable Steel [20] | Resistance | 98.1 m / $/ \mathrm{km}$ |
|  | Carrying current capacity | 840 A |
|  | Temperature | $75^{\circ} \mathrm{C}$ |

### 2.3 Construction of Problem Table Algorithm (PTA)

The development of PTA by Linnhoff and Flower [21] is used to obtain Pinch Point temperature and minimum external heating and cooling energy. The PTA has an advantage because it can give more accurate values as compared with GCC. The PTA is constructed in every part of each plant, and the details of the construction can be found in the works of Linnhoff and Flower [21].

### 2.4 Construction of Multiple Utility Problem Table Algorithm (MU PTA)

Extension of PTA was developed by Liew et al. [22] to determine target potential sources and sinks of multiple utility levels in TSCHP. The method is called MU PTA, and the details of the construction of MU PTA can be referred to Liew et al.'s [22] work. In this case study, the minimum temperature difference between utility and process of Plants $A$ and $B$ are assumed $10^{\circ} \mathrm{C}$ and $5^{\circ} \mathrm{C}$.

### 2.5 Construction of Total Site Problem Table Algorithm (TS PTA)

TS PTA has been developed by Liew et al. [22] to obtain the total number of utilities that can be shared between
processes. The design of the TS PTA is performed in every part of the time slice. Further guidance on the design of the TS PTA can be found in the work of Liew et al. [22].

### 2.5 Construction of Modified Trigeneration System Cascade Analysis (TriGenSCA)

Jamaluddin et al. [10] have established a new methodology for minimising the targeting of power, heating and cooling as well as maximising the efficiency of the trigeneration system. Previously, the method only considers energy losses due to the charging and discharging of storage systems in the study. The method is modified by including energy transmission losses as well in the TriGenSCA. There are three major steps in the production of TriGenSCA, which are the cascade analysis, the estimation of the new size of utility in the trigeneration system and the percentage change between the current and the previous size of utility in the trigeneration system.

### 2.5.1 Cascade Analysis

In the first step, cascade analysis is constructed to determine the estimated utility sizing in the trigeneration system. The cascade analysis can be performed as presented below:

1. Times in 24 h operations with 1 h interval are shown in Column 1.
2. The power, heating and cooling generations from the centralised trigeneration system are shown in Column 2. Column 3 described the availability of energy after considering transmission losses. The availability of power from energy losses due to transmission is calculated by using Equation (1) whereas Equation (2) calculates the availability of thermal energy after transmission energy losses. A carbon steel pipeline is used the transfer the heat from the centralised trigeneration system to the industrial plants. On the other hand, stainless steel pipeline is used to transfer the cool to the industrial plants.

$$
\begin{equation*}
W_{\text {power }}=E_{\text {power }}-\left(R_{T} \times I^{2} \times L\right) \tag{1}
\end{equation*}
$$

Where $\mathrm{W}_{\text {power }}=$ Available power after transmission energy losses in MW; $\mathrm{E}_{\text {power }}=$ Power generation in MW; $\mathrm{R}_{\mathrm{T}}=$ Resistance in $\mathrm{m} \Omega / \mathrm{km} ; \mathrm{I}=$ Carrying current capacity in Ampere; $\mathrm{L}=$ length of transmission in m .

$$
\begin{equation*}
W_{\text {heat/cool }}=E_{\text {heat } / \text { cool }}-\left(\pi \times D \times L \times q_{c}\right) \tag{2}
\end{equation*}
$$

Where $\mathrm{W}_{\text {heat/cool }}=$ Available heat/cool energy after transmission in MW; E heatcool $=$ Heat/cool energy generation in MW; $\mathrm{D}=$ Diameter of heat/cool pipelines in $\mathrm{m} ; \mathrm{q}_{\mathrm{c}}=$ Heat/cool dissipating capacity per unit area in $\mathrm{MW} / \mathrm{m}^{2}$.
3. Column 4 presents the energy demands from industrial plants. The power demands in Column 4 are obtained from the summation of power requirements in Step 1 (cumulative from Figure 1).

On the other hand, the heating and cooling energy demands are obtained based on the TS PTA results from Step 5.
4. The net energy requirement in Column 5 is determined by subtracting available energy from Column 3 with energy demands from Column 4 . This represents the generations of available energy supplied to the energy demands at the respective time intervals. The positive value in Column 5 represents the energy surplus, whereas the negative value represents the energy deficit.
5. Column 6 introduces the new net energy requirement, which is accomplished by transferring any excess energy at higher utility temperatures to lower deficit utility temperatures. For example, a surplus of 10.98 MW of HPS can be converted into LPS energy from 18 to 20 h intervals through a relief valve. Hence, the deficit LPS energy is reduced from 66.71 MW to 55.73 MW.
6. The charging and discharging energy losses are considered in Column 7. The lead-acid battery is used as a power storage system, whereas thermochemical is used as thermal storage systems. As stated by Luo et al. [12], the charging and discharging efficiencies of a lead-acid battery are assumed to be $90 \%$ and $85 \%$. Inverter efficiency is also added in the analysis, where it is assumed to be $90 \%$ [13]. The inverter is used to change AC to DC and vice versa. The charging and discharging thermochemical storage system, on the other hand, are assumed to be the same, which is $58 \%$ [13]. Surplus energy (shown in positive value) can be stored in the storage system, and the energy can be discharged from the storage system as the energy is in deficit. The calculation of surplus power is considered by multiplying it with charging and inverter efficiencies. The surplus heat and cool energy are considered by multiplying it with charging efficiency. The deficit power, on the other hand, is divided into discharging and inverter efficiencies. Deficit heat and cool energy are divided into discharging efficiency.
7. The cumulative energy is presented in Column 8. This means that the excess energy is retained in the storage systems at the time interval and will be used again in the subsequent time. The initial energy start-up is considered to be zero. Surplus energy accumulates from the highest to the lowest time intervals. Equation (3) is used to measure the cumulative amount of energy. The negative values in Column 8 indicate the energy shortage where the positive values indicate surplus energy. The highest negative value in this column represents the most energy deficits needed by the system.

$$
\begin{equation*}
E_{i+1}=E_{i}+E_{\text {charging/discharging }} \tag{3}
\end{equation*}
$$

Where $\mathrm{E}_{\mathrm{i}+1}=$ Cumulative energy for the next time interval in $\mathrm{MWh} ; \mathrm{E}_{\mathrm{i}}=$ Cumulative energy at the current time interval in MWh; $\mathrm{E}_{\text {charging/discharging }}=$ Charging/discharging energy in MWh.
8. Column 9 presents the new cumulative energy calculated using Equation (3). The highest negative value in Column 8 is converted as a positive value and, as the initial cumulative energy, represents the external energy needed in the storage tank to supply the demand. The surplus energy stored in the storage tank can be collected from the last row of the board. The excess energy in the last row can be moved to the next day to offset the external energy required.

Based on the final cascade analysis, the initial cumulative energy for power is 183 MWh, HPS is 19.07 MWh , LPS is 308.32 MWh , HW is 0.61 MWh , and CW is 43.97 MWh. The initial cumulative energy for ChW is in zero value. The excess energy available for power is 183.16 MWh, HPS is 19.11 MWh, LPS is 308.54 MWh , CW is 44.57 MWh , and ChW is 0.23 MWh . The excess HW available for the next day is in zero value. Table 5 shows the simplification of the final cascade analysis iteration.

Table 5a. The simplified final iteration of cascade analysis

| Time | Generation (MW) |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Power | Heat |  |  | Cool |  |
|  |  | HPS | LPS | HW | CW | ChW |
|  |  |  |  |  |  |  |
| 1 | 409.4 | 14.33 | 342.64 | 235.25 | 42.88 | 0.45 |
|  | $\cdot$ | . | . | . | . | . |
| 24 | 409.4 | 14.33 | 342.64 | 235.25 | 42.88 | 0.45 |
|  |  |  |  |  |  |  |

Table 5b. The simplified final iteration of cascade analysis

| Time | Available energy (MW) |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Power | Heat |  |  | Cool |  |
|  |  | HPS | LPS | HW | CW | ChW |
|  |  |  |  |  |  |  |
| 1 | 408.7 | 13.98 | 342.29 | 234.9 | 42.46 | 0.03 |
|  | . | . | . | . | . | . |
| 24 | 408.7 | 13.98 | 342.29 | 234.9 | 42.46 | 0.03 |
|  |  |  |  |  |  |  |

Table 5c. The simplified final iteration of cascade analysis

| Time | Demand (MW) |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Power | Heat |  |  | Cool |  |
|  |  | HPS | LPS | HW | CW | ChW |
|  |  |  |  |  |  |  |
| 1 | 275 | 3 | 190.5 | 151.2 | 105.3 | 0 |
|  | . | . | . | . | . | . |
| 24 | 0.03 | 275 | 3 | 190.5 | 151.2 | 105.3 |
|  |  |  |  |  |  |  |

Table 5d. The simplified final iteration of cascade analysis

| Time | Net heat requirement (MWh) |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Power | Heat |  |  | Cool |  |
|  |  | HPS | LPS | HW | CW | ChW |
|  |  |  |  |  |  |  |
| 1 | 133.7 | 10.98 | 151.79 | 83.7 | -62.84 | 0.03 |
|  | $\cdot$ | . | . | . | . | . |
| 24 | 133.7 | 10.98 | 151.79 | 83.7 | -62.84 | 0.03 |
|  |  |  |  |  |  |  |

Table 5e. The simplified final iteration of cascade analysis

| Time | New net heat requirement (MWh) |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Power | Heat |  |  | CPS | Cool |
|  |  | HPS | LPS | HW | CW | ChW |
|  |  |  |  |  |  |  |
| 1 | 133.7 | 10.98 | 151.79 | 0 | -4.25 | 0.03 |
|  | . | . | . | . | . | . |
| 24 | 133.7 | 10.98 | 151.79 | 0 | -4.25 | 0.03 |
|  |  |  |  |  |  |  |

Table 5f. The simplified final iteration of cascade analysis

| Time | Charging and discharging energy (MWh) |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Power | Heat |  |  |  | Cool |  |
|  |  | HPS | LPS | HW | CW | ChW |  |
|  |  |  |  |  |  |  |  |
| 1 | 108.3 | 6.37 | 88.04 | 0 | -7.33 | 0.02 |  |
|  | . | . | . | . | . | . |  |
| 24 | 108.3 | 6.37 | 88.04 | 0 | -7.33 | 0.02 |  |
|  |  |  |  |  |  |  |  |

Table 5g. The simplified final iteration of cascade analysis

| Time | Cumulative energy (MWh) |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Power | Heat |  |  | Cool |  |
|  |  | HPS | LPS | HW | CW | ChW |
|  | 0 | 0 | 0 | 0 | 0 | 0 |
| 1 |  |  |  |  |  |  |
|  | 108.3 | 6.37 | 88.04 | 0 | -7.33 | 0.02 |
| 24 | . | . | . | . | . | . |
|  | 0.16 | 0.04 | 0.21 | -0.61 | 0.61 | 0.23 |

Table 5h. The simplified final iteration of cascade analysis

| Time | New cumulative energy (MWh) |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Power | Heat |  |  | Cool |  |
|  |  | HPS | LPS | HW | CW | ChW |
|  | 183 | 19.07 | 308.32 | 0.61 | 43.97 | 0 |
| 1 |  |  |  |  |  |  |
|  | 291.3 | 25.43 | 396.36 | 0.61 | 36.64 | 0.02 |
| 24 | . | . | . | . | . | . |
|  | 183.2 | 19.11 | 308.54 | 0 | 44.57 | 0.23 |

### 2.5.2 Calculation of New Size of Utility in the Trigeneration System

The new size of the utility in the trigeneration system needs to be measured in such a way that the energy difference between the initial energy and the final energy can be reduced. Minimising energy differences between initial energy and final energy will reduce costs as well as environmental energy dissipation. The new size of the utility in the trigeneration method is determined using Equation (4). Two conclusions can be drawn from the results of the study. First, the energy capacity needs to be increased if the final energy is less than the initial energy. Second, the utility capacity becomes overloaded if the final energy becomes greater than the initial energy. By using Equation (4), power, HPS, HW, CW and ChW are reduced from 600 MW to 435.02 MW , from 50 MW to 48.6 MW, from 250 MW to 143.59 MW , from 200 MW to 143.59 MW and from 50 MW to 25.24 MW . The sizing utility of LPS, on the other hand, need to be increased from 150 MW to 345.12 MW .

$$
\begin{equation*}
S_{\text {eq(new) }}=S_{\text {eq }}-\left(E_{\text {final }}-E_{\text {initial }}\right) / T \tag{4}
\end{equation*}
$$

Where $\mathrm{S}_{\text {eq(new) }}=$ New sizing utility in trigeneration system in MW; $\mathrm{S}_{\mathrm{eq}}=$ Previous sizing utility in trigeneration system in MW; $\mathrm{E}_{\text {final }}=$ Available energy for the next day in $\mathrm{MWh} ; \mathrm{E}_{\text {initial }}=$ Minimum outsourced energy supply in $\mathrm{MWh} ; \mathrm{T}=$ Time in h .

### 2.5.2 Percentage change between new and previous sizes of utilities in the trigeneration system

The percentage change shown in Equation (5) is used to reduce the energy gaps between the minimum outsourced energy supply to start up the system and available energy for the next day. Reducing energy gaps will give the trigeneration system an optimal size of utilities. Ho et al. [23] set a value of $0.05 \%$ as a threshold for the precision of the results. An iteration process is used in this step and will stop if the percentage change values for power, heating and cooling are below or at $0.05 \%$.

Based on the first iteration, percentage changes for power is $27.5 \%$, HPS is $2.8 \%$, LPS is $130.08 \%$, HW is $26.17 \%$, CW is $28.21 \%$ and ChW is $49.52 \%$. The calculation stops at 36th iterations since all percentage changes of utilities are less than $0.05 \%$. Based on the final iteration, the new power, HPS, LPS, HW, CW and ChW in the trigeneration system are 409.4 MW, 14.33 MW, 342.64 MW, 235.28 MW, 42.86 MW and 0.45 MW.

$$
\begin{equation*}
P=\left(S_{e q(\text { new })}-S_{e q}\right) / S_{e q} \times 100 \% \tag{5}
\end{equation*}
$$

Where $\mathrm{P}=$ Percentage change between new and previous sizing of utilities in the trigeneration system; $\mathrm{S}_{\text {eq(new) }}=$ New sizing utilities in trigeneration system in MW; $\mathrm{S}_{\mathrm{eq}}=$ Previous sizing utilities in trigeneration system in MW.

## 3 Conclusions

A modified numerical method based on Pinch Analysis called TriGenSCA by considering transmission and storage energy losses have been developed to determine the exact value of required energy by the centralised trigeneration system to supply to the demands. Energy losses due to frictional in the transmission lines as well as charging and discharging of energy into and out of storage systems are considered. A comparison has been made with the same case study of the trigeneration system without considering transmission energy losses. An additional 3 MW or $0.1 \%$ of energy is required by the trigeneration system to supply sufficient energy to meet the demand needs. The TriGenSCA will give an optimum utility size in the trigeneration system by reducing the energy differences between the final and the initial energy value of the trigeneration system.

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